

# Good Morning!

Today you will need:

- notes page ( I will pass out)
- corrected homework
- Vocabulary sheet
- pencil
- calculator

Investigation

# 3

Solving Equations

## equation

A number sentence stating that two quantities are equal (it must have an equal sign).

ex:  $10 = 2x - 5$   
 an equation where the quantity of **10** is equal to the quantity of  $2x - 5$

$y = 3x + 7$   
 an equation where the quantity of **y** is equal to the quantity of  $3x + 7$

## solution to an equation

The value of the variable that makes an equation true.

ex:

$$\begin{array}{r} 4x - 6 = 10 \\ + 6 \quad +6 \\ \hline 4x = 16 \\ \div 4 \quad \div 4 \\ \hline x = 4 \end{array}$$

$4(4) - 6 = 16 - 6 = 10$

## Solving One Step Equations

Goal:

We meet this goal by

To Undo	We Must
addition	
subtraction	
multiplication	
division	

Remember:

*The Golden Rule of Algebra*  
 Do unto one side as you do to the other

To solve, you must get the variable alone on one side.

\*\* You must always show all your ALGEBRAIC steps

**Solve**

**Check Your Work**  
 by putting your answer back into the equation

$3 + x = -8$

$x - 1 = -3$

$-56 = 8x$

$\frac{x}{-12} = -5$

### Practice Problems...

Solve the following equations, show your steps, and check your answer.

1)  $-6 = x - 2$

2)  $-8 + a = -4$

3)  $-3c = 9$

4)  $\frac{b}{12} = 2$

Milo walks at a rate of 3.2 meters per second.

1. Write an equation that represents the distance  $d$  that Milo walks in  $t$  seconds.
2. He walks at this same rate for 50 seconds. How far does he walk? Replace one of the variables in the equation from #1 and solve to find the answer.
3. At this rate, how long does it take him to walk 112 meters? Replace one of the variables in the equation from #1 and solve to find the answer.

## Homework:

### Write and Solve One Step Equations worksheet

Some equations are easier to solve...

$$12 = 4x$$

Find the value of  $x$ .

$$x = 3$$

$$3x + 1 = 10$$

Find the value of  $x$ .

$$x = 3$$

Some equations are more difficult...

$$\frac{4x}{7} + 9(2x - 6.4) = (2x)^3 - \pi + 9842x$$



So...

As equations get more complicated we must have a systematic way to solve for missing

**values**...or **variables** in any given equation.